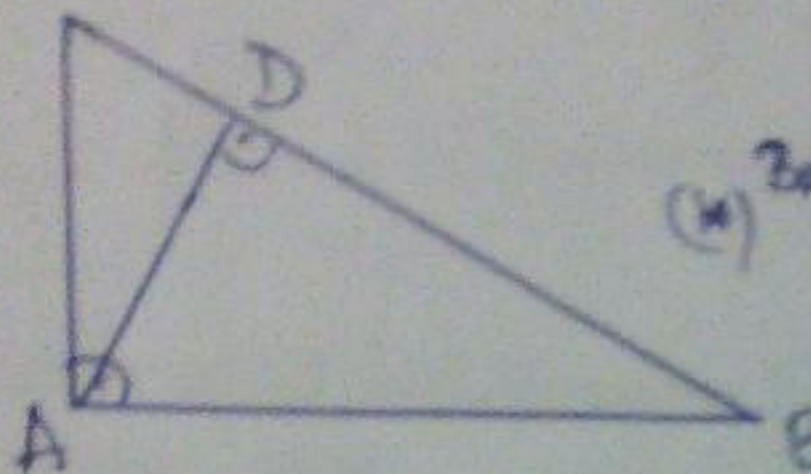


Ezekkel az összefüggésekkel úgy lehet dolgozni, hogy ha két szabást ismerünk a harmadikat ki lehet számítani. Pl:

- 1) ABC_{Δ} -ben $m(\hat{A}) = 90^{\circ}$, $AD \perp BC$, $BC = 8$, $BD = 6$
 $AB, AD = ?$

M: C



ABC_{Δ} -ben $m(\hat{A}) = 90^{\circ}$, $AD \perp BC$ (*)

$$(*) \xrightarrow{\text{hgt.}} AB^2 = BD \cdot BC$$

$$AB^2 = 6 \cdot 8$$

$$AB = \sqrt{48} = 4\sqrt{3}$$

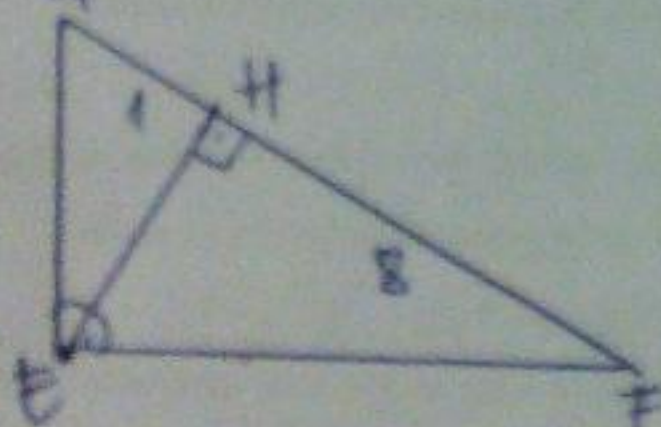
$$(*) \xrightarrow{\text{hgt.}} AD^2 = CD \cdot DB$$

$$AD^2 = (8-6) \cdot 6$$

$$AD = \sqrt{2 \cdot 6} = 2\sqrt{3}$$

- 2) EFG_{Δ} -ben $m(\hat{E}) = 90^{\circ}$, $EH \perp GF$, $GH = 1$, $HF = 8$
 $EH, EF, EG = ?$

M: G



EFG_{Δ} -ben $m(\hat{E}) = 90^{\circ}$, $EH \perp GF \Rightarrow$

$$\Rightarrow EF^2 = HF \cdot GF$$

$$EF^2 = 8 \cdot (8+1)$$

$$EF = \sqrt{8 \cdot 9} = 6\sqrt{2}$$

$$\Rightarrow EG^2 = GH \cdot GF$$

$$EG^2 = 1 \cdot (1+8)$$

$$EG = \sqrt{1 \cdot 9} = 3$$

$$\Rightarrow EH^2 = GH \cdot HF$$

$$EH^2 = 1 \cdot 8$$

$$EH = \sqrt{1 \cdot 8} = 2\sqrt{2}$$

- 3) JIK_{Δ} -ben $m(\hat{I}) = 90^{\circ}$, $JI = 12$, $IJ = 9$, $IL \perp JK$
 $JK, IK, LI = ?$

M: ? -ba

JIK_{Δ} -ben $m(\hat{I}) = 90^{\circ}$, $IL \perp JK \Rightarrow$

$$\Rightarrow JI^2 = LI \cdot KJ$$

$$12^2 = 9 \cdot KJ$$

$$144 = 9 \cdot KJ \Rightarrow KJ = \frac{144}{9} = 16$$